Dispersion Energy in Density-Functional Theory

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The standard functionals used in DFT model the correlations between electrons within a separation of the order of 1 angstrom and ignore those beyond it. The ignored nonlocal correlation effects are the source of dispersion interactions and form a large part of interaction energy for many technologically and biologi- cally important materials. The so-called nonlocal correlation functionals are constructed to compliment the DFT energy by adding a correction resulting from long-range correlation effects in a seamless fashion. An example of such an approach are the Van der Waals density functionals (vdW-DF's) proposed by Langreth, Lundqvist and collaborators [1, 2] which are based on the adiabatic-connection-fluctuation dissipation theo- rem [3]. The performance of various nonlocal functionals will be discussed relative to the dispersion energy from symmetry-adapted perturbation theory (SAPT) [4, 5, 6, 7, 8]. Also, a new functional resulting from a simplification of the vdW-DF model will be presented. This new functional gives very accurate dispersion energies compared to other methods with low computational costs.

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