# Brueckner-based $\Lambda \mathbf{C C S D}(\mathrm{T})$ for Bond Breaking 

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For molecules near equilibrium, coupled-cluster theory with singles, doubles, and perturbative triples $[\operatorname{CCSD}(\mathrm{T})]$ is considered the standard. As one stretches a bond, the accuracy of $\operatorname{CCSD}(\mathrm{T})$ degrades rapidly. Recent work (1) showed that by modifying the $\operatorname{CCSD}(\mathrm{T})$ to include the effect of $\Lambda$ (the de-excitation operator from CC gradient theory) one can improve the bond-breaking. This method, called $\Lambda \operatorname{CCSD}(\mathrm{T})$, maintains the advantages of $\operatorname{CCSD}(\mathrm{T})$, in particular extensivity and $O\left(N^{7}\right)$ computational scaling, and is equally good near equilibrium. Instead of exhibiting large energetic turnovers for bond-breaking of singly-bonded molecules, $\Lambda \operatorname{CCSD}(\mathrm{T})$ has at most a small (few millihartree) error along the potential energy surface (PES). For more complicated bonding situations, e.g. $\mathrm{N}_{2}, \Lambda \operatorname{CCSD}(\mathrm{~T})$ is not quantitatively accurate across the PES, with errors of more than 20 millihartree.

In our work with $\Lambda \operatorname{CCSD}(\mathrm{T})$, we noticed that while RHF $\Lambda \operatorname{CCSD}(\mathrm{T})$ is better than RHF $\operatorname{CCSD}(\mathrm{T})$, $\operatorname{UHF} \operatorname{CCSD}(\mathrm{T})$ and $\operatorname{UHF} \Lambda \operatorname{CCSD}(\mathrm{T})$ are almost identical. If one were able to produce a stable spin-restricted CCSD solution that was adequate to longer bond distances, then $\Lambda \operatorname{CCSD}(\mathrm{T})$ could improve the solution past the spin-re-coupling region. Brueckner orbitals are more stable than HF orbitals and when one combines the use instability analysis of the Brueckner orbitals (2) with the $\Lambda \operatorname{CCSD}(\mathrm{T})$ energy functional the results improve. While the RB solution is stable, the improvement of $\Lambda \operatorname{CCSD}(T)$ is substantial. Because the RB solution becomes unstable at bond distances beyond the spin-re-coupling region, the improper behavior of UHF $\Lambda \operatorname{CCSD}(\mathrm{T})$ is irrelevant. We applied the combination of Brueckner orbitals and $\Lambda \operatorname{CCSD}(\mathrm{T})$ to a variety of bonding situations. For $\mathrm{N}_{2}$ bond-breaking, the non-parallelity error is less than 10 millihartree out to twice the equilibrium bond length.

## References

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